10.1 Graphing Square Root Functions For use with Exploration 10.1

Essential Question What are some of the characteristics of the graph of a square root function?



Work with a partner.

- Make a table of values for each function.
- Use the table to sketch the graph of each function.
- Describe the domain of each function.
- Describe the range of each function.

a.
$$y = \sqrt{x}$$

b.
$$y = \sqrt{x+2}$$

x			
у			

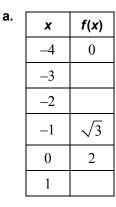
10	↓ <i>Y</i>					
8						
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≺ −2		2	4	6	8	10 <i>x</i>

10	↓ <i>y</i>								
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∢ −2									→ 0 x
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10.1 Graphing Square Root Functions (continued)

EXPLORATION: Writing Square Root Functions

Work with a partner. Write a square root function, y = f(x), that has the given values. Then use the function to complete the table.



b.	x	f(x)
	-4	0
	-3	
	-2	
	-1	$1 + \sqrt{3}$
	0	3
	1	

Communicate Your Answer

- **3.** What are some of the characteristics of the graph of a square root function?
- 4. Graph each function. Then compare the graph to the graph of $f(x) = \sqrt{x}$.

a.	$g(x) = \sqrt{x-1}$	b. $g(x) = \sqrt{x} - 1$	c. $g(x) = 2\sqrt{x}$	d. $g(x) = -2\sqrt{x}$

10.1 Notetaking with Vocabulary For use after Lesson 10.1

In your own words, write the meaning of each vocabulary term.

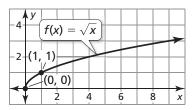
square root function

radical function

Core Concepts

Square Root Functions

A square root function is a function that contains a square root with the independent variable in the radicand. The parent function for the family of square root functions is $f(x) = \sqrt{x}$. The domain of f is $x \ge 0$, and the range of f is $y \ge 0$.



Notes:

Transformation <i>f(x)</i> Notat		Examples		
Horizontal Translation	f(x-h)	$g(x)=\sqrt{x-2}$	2 units right	
Graph shifts left or right.	<i>y</i> (<i>n n</i>)	$g(x)=\sqrt{x+3}$	3 units left	
Vertical Translation	f(x) + k	$g(x) = \sqrt{x} + 7$ 7 units up		
Graph shifts up or down.	$\int (x) + k$	$g(x)=\sqrt{x}-1$	1 unit down	
Reflection	f(-x)	$g(x) = \sqrt{-x}$	in the <i>y</i> -axis	
Graph flips over <i>x</i> - or <i>y</i> -axis.	-f(x)	$g(x) = -\sqrt{x}$	in the <i>x</i> -axis	
Horizontal Stretch or Shrink	f(ax)	$g(x) = \sqrt{3x}$	shrink by a factor of $\frac{1}{3}$	
Graph stretches away from or shrinks toward <i>y</i> -axis.	j (ux)	$g(x) = \sqrt{\frac{1}{2}x}$	stretch by a factor of 2	
Vertical Stretch or Shrink		$g(x) = 4\sqrt{x}$	stretch by a factor of 4	
Graph stretches away from or shrinks toward <i>x</i> -axis.	$a \bullet f(x)$	$g(x) = \frac{1}{5}\sqrt{x}$	shrink by a factor of $\frac{1}{5}$	

Notes:

Date

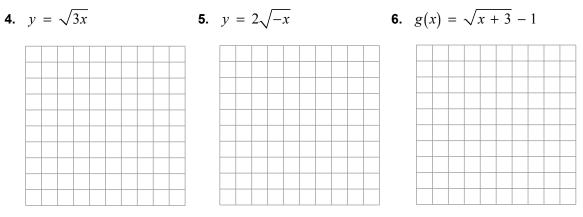
10.1 Notetaking with Vocabulary (continued)

Extra Practice

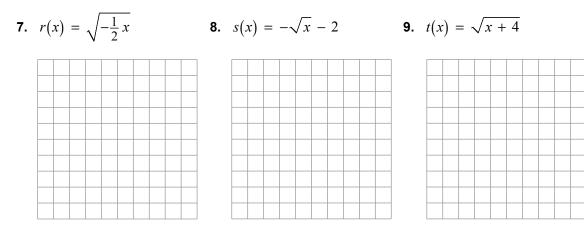
In Exercises 1–3, describe the domain of the function.

1.
$$y = 4\sqrt{-x}$$
 2. $y = \sqrt{x-3}$ **3.** $f(x) = \sqrt{\frac{1}{3}x} + 4$

In Exercises 4–6, graph the function. Describe the range.



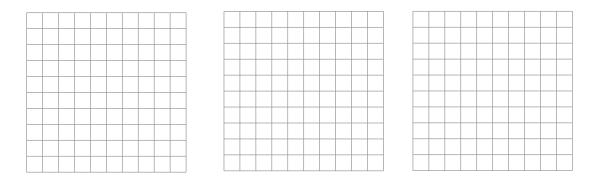
In Exercises 7–9, graph the function. Compare the graph to the graph of $f(x) = \sqrt{x}$.



10.1 Notetaking with Vocabulary (continued)

In Exercises 10–12, describe the transformations from the graph of $f(x) = \sqrt{x}$ to the graph the of *h*. Then graph *h*.

10.
$$h(x) = \frac{1}{2}\sqrt{x+2} - 2$$
 11. $h(x) = 2\sqrt{x-3} + 1$ **12.** $h(x) = -\sqrt{x+4} - 4$



13. The model $S(d) = \sqrt{30df}$ represents the speed S (in miles per hour) of a car before it skids to a stop, where f is the drag factor of the road surface and d is the length (in feet) of the skid marks. The drag factor of Road Surface C is 0.8. The graph shows the speed of the car on Road Surface D. Compare the speeds by finding and interpreting their average rates of change over the interval d = 0 to d = 20.

